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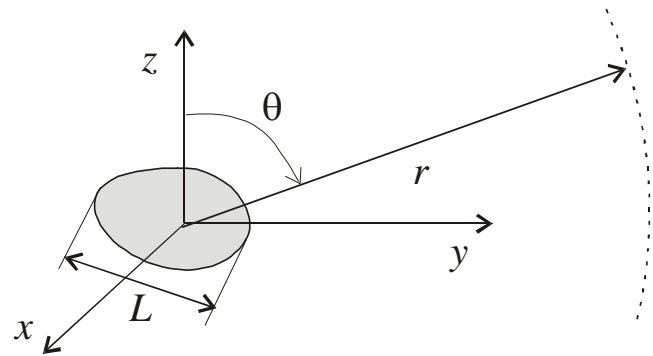
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$$r < 0,25L + 0,5L(L/\lambda)^{1/3}$$

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1.1 -

$$\vec{F}(\vartheta, \varphi) = F(\vartheta, \varphi) e^{i\Phi(\vartheta, \varphi)} [\bar{\vartheta}_0 + \bar{\varphi}_0 \cdot \dot{p}(\vartheta, \varphi)]. \tag{1.1.1}$$

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$r \geq 2L^2/\lambda$, L

$\bar{E} \quad \bar{H}$

$r.$

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$$0,25L + 0,5L(L/\lambda)^{1/3} < r < 2L^2/\lambda, \quad L$$

$$\bar{E} \quad \bar{H}$$

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1.2

$F(\mathfrak{G}, \varphi),$

(1.1.1)

$$\max F(\mathfrak{G}, \varphi) \equiv 1.$$

$\varphi = \text{const},$

$\mathfrak{G} = \text{const} ($

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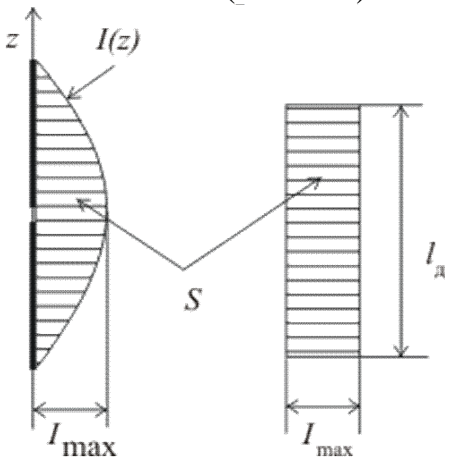
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$\bar{E}(\bar{H})$

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\$S\$,
(1.2).

1.2 -

\$\Omega\$,
(k)

$$k(\Omega) = \left(\int_{\Omega} |\dot{F}(\vartheta, \varphi)|^2 \sin \vartheta d\vartheta d\varphi \right) \left[\int_0^{2\pi} \int_0^{\pi} |\dot{F}(\vartheta, \varphi)|^2 \sin \vartheta d\vartheta d\varphi \right]^{-1} \quad (1.2.1)$$

$$D = 4\pi \left(\int_0^{2\pi} \int_0^{\pi} |\dot{F}(\vartheta, \varphi)|^2 \sin \vartheta d\vartheta d\varphi \right)^{-1} \quad (1.2.2)$$

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$$k = 1 - k (\Omega) \tag{1.2.3}$$

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(1.1.1):

$$\dot{p}(\vartheta, \varphi) = p(\vartheta, \varphi)e^{i\psi(\vartheta, \varphi)},$$

$$p = E_\varphi / E_\vartheta -$$

$$\psi = \arg \dot{E}_\varphi -$$

$$\left(\begin{matrix} \cdot \\ \cdot \end{matrix} \right) \left(\begin{matrix} \cdot \\ \cdot \end{matrix} \right)$$

$$\begin{matrix} - \\ : \\ - \end{matrix} \begin{matrix} , \\ , \\ , \end{matrix}$$

$$\left(\begin{matrix} \cdot \\ \cdot \end{matrix} \right).$$

$$Z = R + i$$

$$Z = R + i \quad :$$

$$R = R ; \quad + = 0$$

$$\left(\begin{matrix} \cdot \\ \cdot \end{matrix} \right)$$

$$\left(\begin{matrix} \cdot \\ \cdot \end{matrix} \right)$$

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$$\int_V (\epsilon |\bar{E}|^2 + \mu |\bar{H}|^2) dv \rightarrow 0, \tag{2.1.2}$$

(ρ, ϕ, z); (2.1.2)

$\rho d\rho d\phi dz$.

(2.1.2)

(\bar{E}, \bar{H})

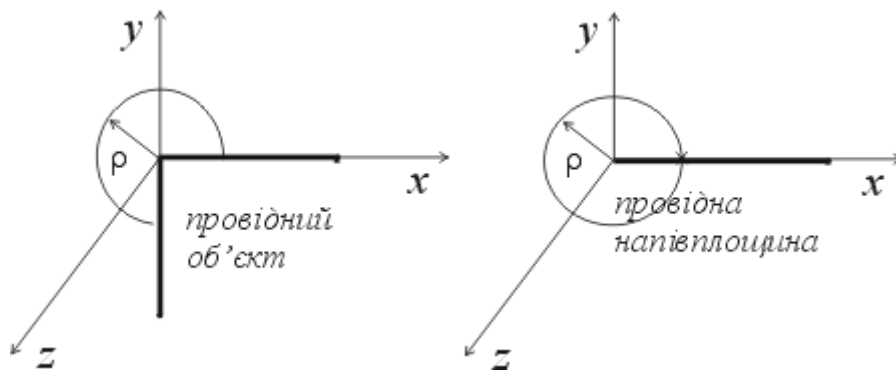
$\rho \rightarrow 0$

$\rho^{-1+\tau}$ ($\tau > 0$).

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. 2.1,

$\rho \rightarrow 0$



2.1 –

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$$\bar{E}_t, \bar{H}_t = O(\rho^{-1/3}); E_z, H_z = O(\rho^{2/3}). \tag{2.1.3}$$

. 2.1,

$\rho \rightarrow 0$

$$\bar{E}_t, \bar{H}_t = O(\rho^{-1/2}); E_z, H_z = O(\rho^{1/2}). \tag{2.1.4}$$

$$f(x) = O(g(x)) \quad x \rightarrow x_0, \quad \begin{matrix} O(f(x)) \\ x \rightarrow x_0, \end{matrix} \quad \begin{matrix} : \\ f(x) \end{matrix}, \quad \begin{matrix} \\ |f(x)| \leq A |g(x)| \end{matrix} \quad x \rightarrow x_0.$$

Ψ r^{-1} (r)

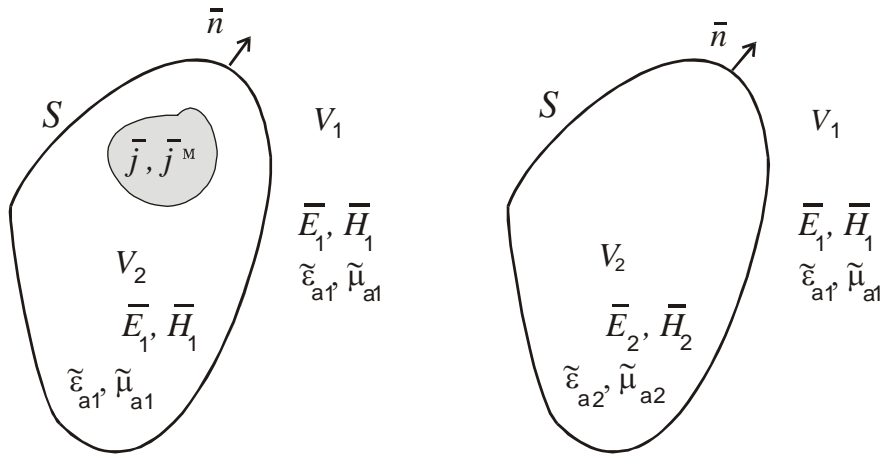
$$\lim_{r \rightarrow \infty} r \left(\frac{\partial \Psi}{\partial r} - ik\Psi \right) = 0, \tag{2.1.5}$$

$$k = \omega \sqrt{\epsilon_a \mu_a}$$

2.2

1936

S , V , V_1 , V_2 , \bar{E}_1 , \bar{H}_1 , \bar{E}_2 , \bar{H}_2 , $\tilde{\epsilon}_{a2}$, $\tilde{\mu}_{a2}$, \bar{E}_1, \bar{H}_1 .



2.2 -

(
 « S » , (\bar{E}_1, \bar{H}_1 \bar{E}_2, \bar{H}_2)

$$\bar{j}_s = [\bar{n}(\bar{H}_1 - \bar{H}_2)]; \tag{2.2.1}$$

$$\bar{j}_s^m = -[\bar{n}(\bar{E}_1 - \bar{E}_2)]. \tag{2.2.2}$$

\bar{E}_2, \bar{H}_2 , \bar{E}_1, \bar{H}_1
 V_1 , V_2 , V_1 , \bar{E}_2, \bar{H}_2 , $\tilde{\epsilon}_{a2}, \tilde{\mu}_{a2}$, V_2 , $\tilde{\epsilon}_{a1}, \tilde{\mu}_{a1}$, \bar{E}_1, \bar{H}_1

- \bar{E}_2, \bar{H}_2 , $\tilde{\epsilon}_{a2} = \tilde{\epsilon}_{a1}; \tilde{\mu}_{a2} = \tilde{\mu}_{a1}$, : $\bar{j}_s = [\bar{n}\bar{H}_1]; \bar{j}_s^m = -[\bar{n}\bar{E}_1].$ (2.2.3)

- \bar{E}_2, \bar{H}_2 , V_2 , V_1 (V_2)

$$\begin{aligned}
 \bar{j}_s^m &= -[\bar{n}\bar{E}_1], \\
 \bar{E}_2, \bar{H}_2 & \\
 \bar{H}_\tau &= 0.
 \end{aligned}$$

2.3

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$$\left. \begin{aligned}
 \text{rot}\bar{H} &= \varepsilon \frac{\partial \bar{E}}{\partial t} + \bar{J} \\
 \text{rot}\bar{E} &= -\mu \frac{\partial \bar{H}}{\partial t} - \bar{J}^m
 \end{aligned} \right\}, \tag{2.3.1}$$

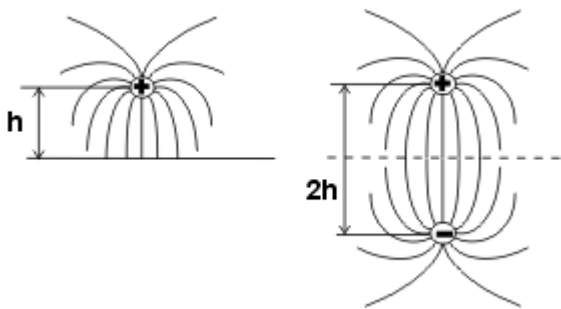
$$\left. \begin{aligned}
 \text{div}(\varepsilon \bar{E}) &= \rho; & \text{div}(\bar{J}) &= -\frac{\rho}{\partial t}; \\
 \text{div}(\mu \bar{H}) &= \rho^m; & \text{div}(\bar{J}^m) &= -\frac{\partial \rho^m}{\partial t}
 \end{aligned} \right\}, \tag{2.3.2}$$

$\rho -$

$;\rho^m -$

$$\left. \begin{aligned}
 \bar{J}^* &= \bar{J} + (\varepsilon - \varepsilon_0) \frac{\partial \bar{E}}{\partial t}, & \rho^* &= \rho - \text{div}[(\varepsilon - \varepsilon_0)\bar{E}]; \\
 \bar{J}^{m*} &= \bar{J}^m + (\mu - \mu_0) \frac{\partial \bar{H}}{\partial t}, & \rho^{m*} &= \rho_m - \text{div}[(\mu - \mu_0)\bar{H}]
 \end{aligned} \right\}. \tag{2.3.3}$$

$$\bar{J}, \bar{J}^m, \rho, \rho^m \tag{2.3.3} \tag{2.3.1} \tag{2.3.2}$$



2.4 -

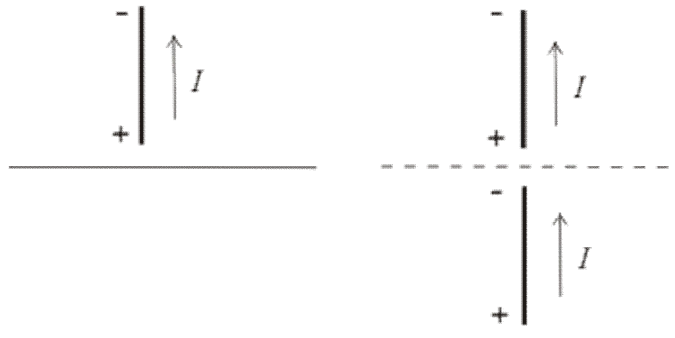
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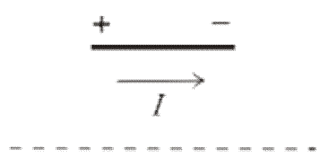
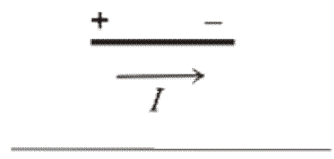
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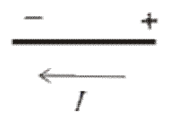
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(.2.6,)



(. 2.6,).



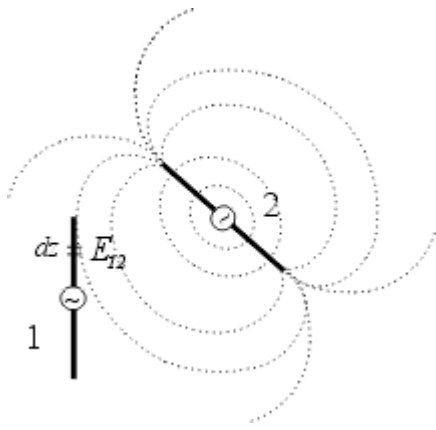
2.6 -

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(.2.7),



2.7 -

$$E_{12} \cdot dz = de_{12} = E_{12} dz \tag{2.5.1}$$

$$-de_{12} = -E_{12} dz.$$

$$-de_{12} = -E_{12} dz.$$

$$dP_{12} = -\frac{1}{2} \dot{I}^* de_{12} \tag{2.5.2}$$

$$dP_{12} = -\frac{1}{2} \dot{I}^* E_{12} dz \tag{2.5.3}$$

$$Z_{12} = \frac{2P_{12}}{|I|^2} = -\frac{1}{|I|^2} \int \dot{I}^* E_{12} dz \tag{2.5.4}$$

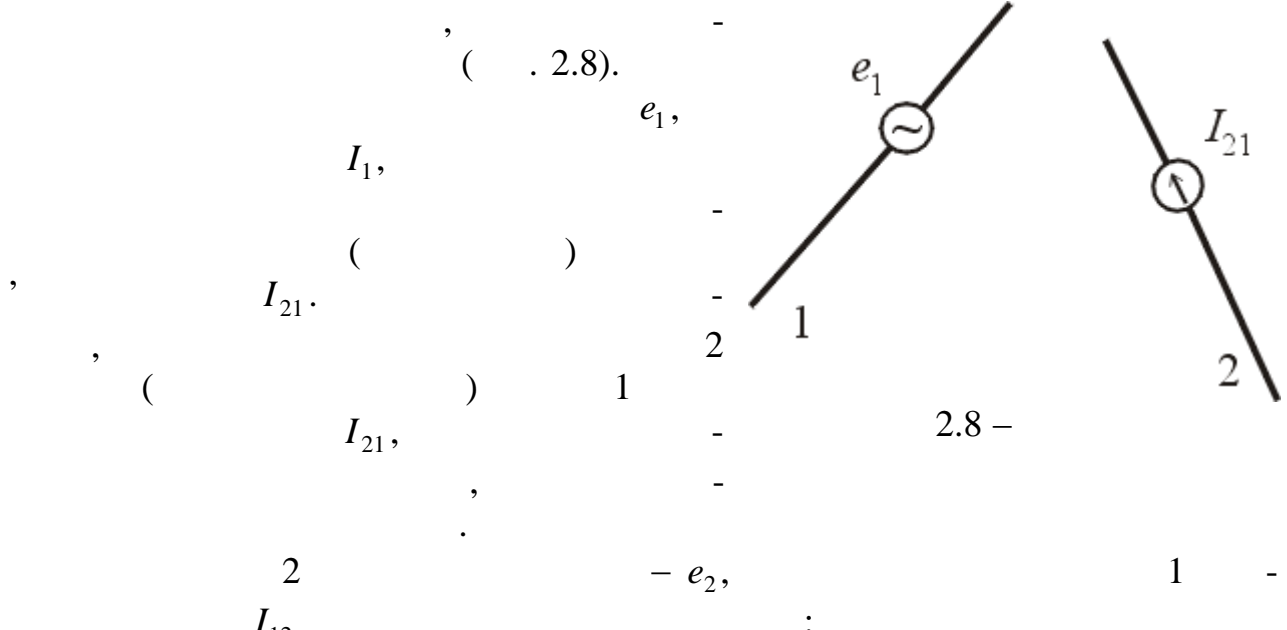
(2.5.4)

(I , I₀).

$$Z_{12} = \frac{Z_1 Z_2}{Z_1 + Z_2} \quad (2.5.4)$$

2.6

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$$\frac{e_1}{I_{21}} = \frac{e_2}{I_{12}}$$

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2.8

$\bar{j} = 2[\bar{n}, \bar{H}]$ (2.8.1)

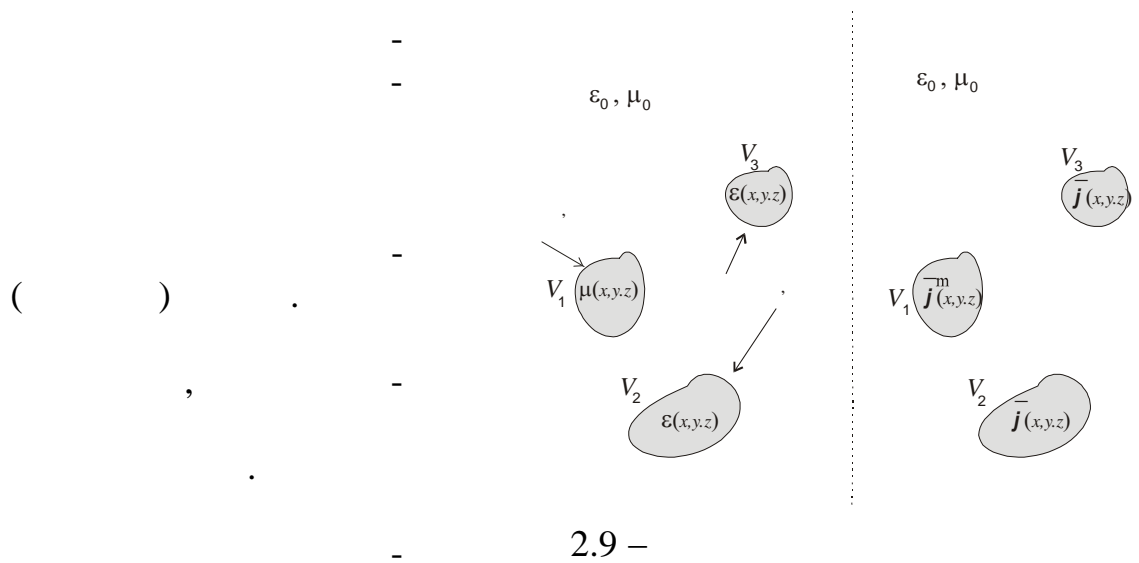
(\bar{j} - , \bar{H} -)

().

(2.8.1)

$$\vec{F}(\vartheta, \varphi) = \int_S \vec{j}(\rho, \psi) e^{ik\rho \cos\psi} dS, \tag{2.8.2}$$

2.9



2.9 –

S_Σ ,

(. 2.9).

() () (2.2.3)).

$$S = S_\Sigma - S_a$$

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():

$$\bar{E}_t = W_c[\bar{H}_t, \bar{n}], \tag{2.9.1}$$

\bar{n} -
 \bar{H}_t -

, W_c -

, \bar{E}_t

(2.8.2):

$$\dot{\bar{F}}(\vartheta, \varphi) = \int_{S_a} \dot{\bar{E}}_t(\rho, \psi) e^{ik\rho \cos \psi} dS_a, \tag{2.9.2}$$

S_a .

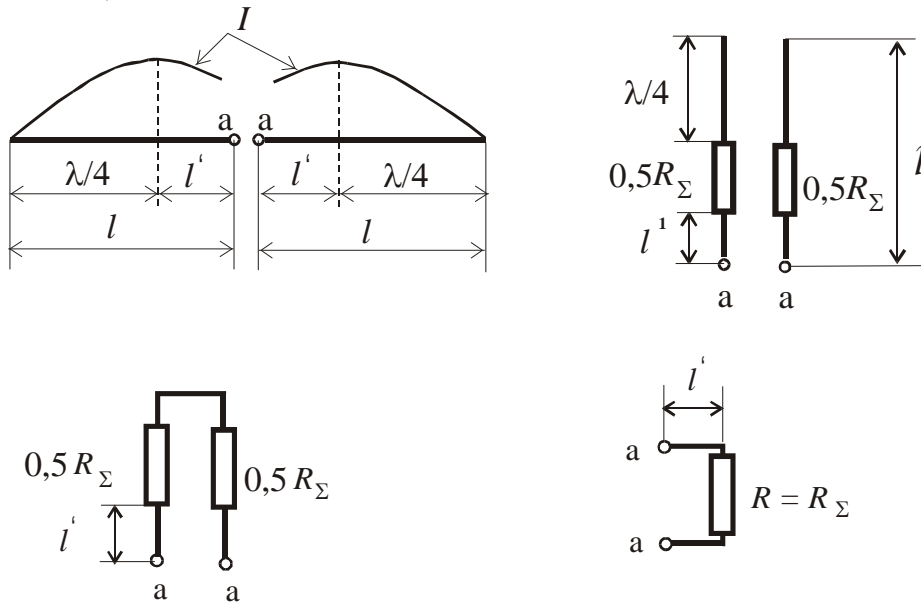
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 lambda/4 . 2.10, . 2.10, .

$$l' = l - \lambda/4,$$

$$R_{\Sigma}$$

(. 2.10.1,):

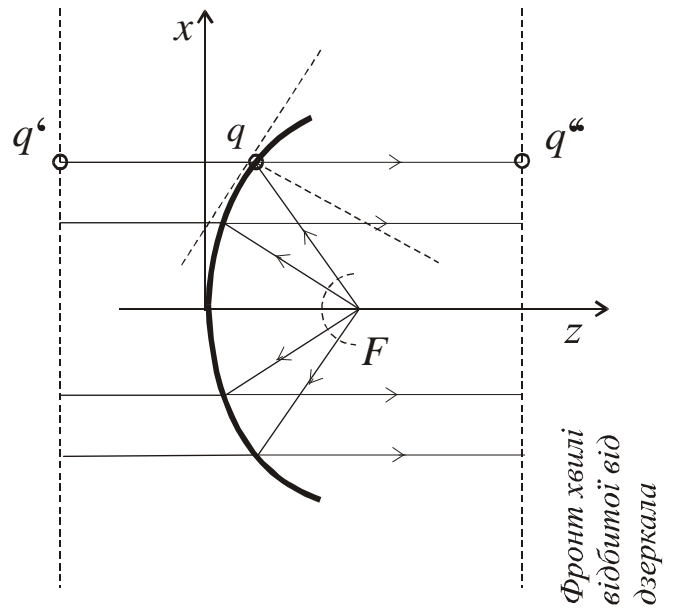
$$\left. \begin{aligned} U_a &= U \cos kl' + iI W \sin kl' \\ I_a &= I \cos kl' + i \frac{U}{W} \sin kl' \end{aligned} \right\} \quad (2.10.1)$$

$1/\sqrt{r}$, βr , $\beta = 2\pi/\lambda$, r , $1/r$

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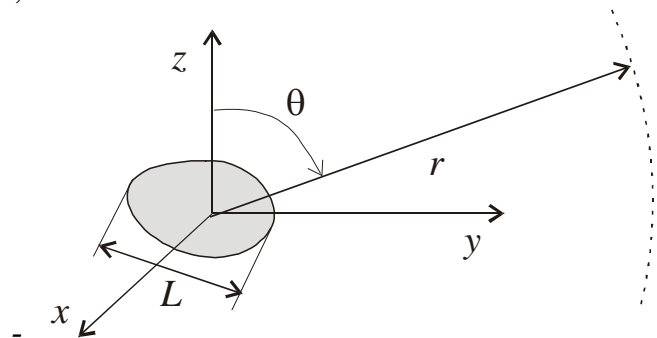
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3.1

$$r < 0,25L + 0,5L(L/\lambda)^{1/3}$$

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3.1 -

$$\vec{F}(\vartheta, \varphi) = F(\vartheta, \varphi) e^{i\Phi(\vartheta, \varphi)} [\bar{\vartheta}_0 + \bar{\varphi}_0 \cdot \dot{p}(\vartheta, \varphi)]. \tag{3.1.1}$$

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 $0,25L + 0,5L(L/\lambda)^{1/3} < r < 2L^2/\lambda$,
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$$\bar{E} \quad \bar{H}$$

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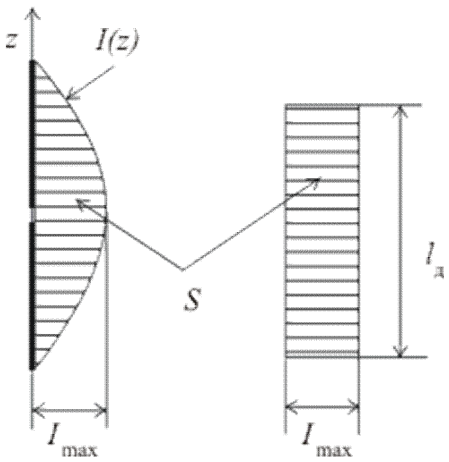
3.2

$\varphi = \text{const}$, $\mathfrak{G} = \text{const}$ (

$$F(\mathfrak{G}, \varphi), \quad (3.1.1),$$

$$\max F(\mathfrak{G}, \varphi) \equiv 1.$$

$$\bar{E} (\bar{H})$$



3.2 -

$I(z)$

(.3.2).

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$\Omega,$
(k)

$$k(\Omega) = \left(\int_{\Omega} |\dot{\bar{F}}(\vartheta, \varphi)|^2 \sin \vartheta d\vartheta d\varphi \right) \left[\int_0^{2\pi} \int_0^{2\pi} |\dot{\bar{F}}(\vartheta, \varphi)|^2 \sin \vartheta d\vartheta d\varphi \right]^{-1}. \quad (3.2.1)$$

$$D = 4\pi \left(\int_0^{2\pi} \int_0^{2\pi} |\dot{\bar{F}}(\vartheta, \varphi)|^2 \sin \vartheta d\vartheta d\varphi \right)^{-1}. \quad (3.2.2)$$

$$k = 1 - k(\Omega). \quad (3.2.3)$$

$\dot{p}(\vartheta, \varphi) = p(\vartheta, \varphi) e^{i\psi(\vartheta, \varphi)}$,
 $p = E_\varphi / E_\vartheta$,
 $\psi = \arg \dot{E}_\varphi$

(3.1.1):

$$\dot{p}(\vartheta, \varphi) = p(\vartheta, \varphi) e^{i\psi(\vartheta, \varphi)},$$

$$p = E_\varphi / E_\vartheta$$

$$\psi = \arg \dot{E}_\varphi$$

$$\left(\begin{matrix} \dot{p}(\vartheta, \varphi) \\ p(\vartheta, \varphi) \end{matrix} \right) = \left(\begin{matrix} p(\vartheta, \varphi) e^{i\psi(\vartheta, \varphi)} \\ p(\vartheta, \varphi) \end{matrix} \right)$$

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$$Z = R + i$$

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$$R = R ; \quad + = 0.$$

$$Z = R + i$$

$\Phi(\vartheta, \varphi),$

(3.1.1)

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$$\sigma = \infty$$

$$(\bar{n}_0 \bar{E}_1) = \rho_S / \epsilon_{a1}; \quad [\bar{n}_0 \bar{E}_1] = 0; \quad (\bar{n}_0 \bar{H}_1) = 0; \quad [\bar{n}_0 \bar{H}_1] = \bar{j}_S, \quad (4.1.1)$$

ρ_s^- , / 2 ; \bar{j}_s^- -

(, ,) ,

$$\int_V (\epsilon |\bar{E}|^2 + \mu |\bar{H}|^2) dv \rightarrow 0, \tag{4.1.2}$$

(ρ, φ, z);

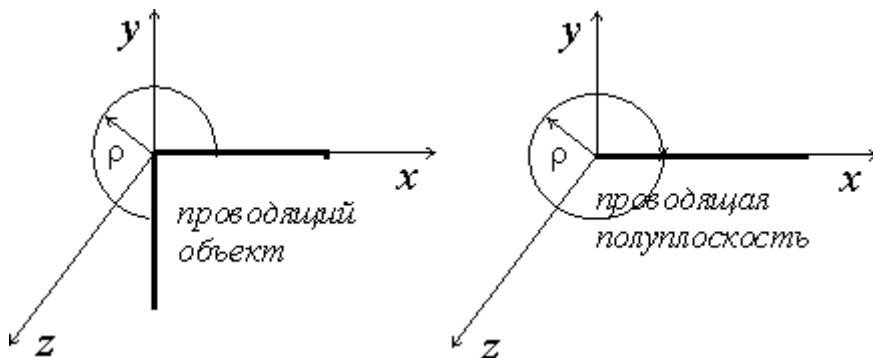
$$\rho \cdot d\rho \cdot d\varphi \cdot dz. \tag{4.1.2}$$

(\bar{E}, \bar{H})

$\rho \rightarrow 0$, $\rho^{-1+\tau}$ ($\tau > 0$).

τ ,

4.1, $\rho \rightarrow 0$



4.1 -

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$$\bar{E}_t, \bar{H}_t = O(\rho^{-1/3}); E_z, H_z = O(\rho^{2/3}). \tag{4.1.3}$$

. 4.1,

$\rho \rightarrow 0$

$$\bar{E}_t, \bar{H}_t = O(\rho^{-1/2}); E_z, H_z = O(\rho^{1/2}). \tag{4.1.4}$$

$O(f(x))$:

$f(x) = O(g(x))$ $x \rightarrow x_0$, $f(x)$,
 $g(x) \quad x \rightarrow x_0, \dots$ A , $|f(x)| \leq A |g(x)|$
 $x \rightarrow x_0$.

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$$\lim_{r \rightarrow \infty} r \left(\frac{\partial \psi}{\partial r} - ik\psi \right), \tag{4.1.5}$$

$$k = \omega \sqrt{\epsilon_a \mu_a} -$$

4.2

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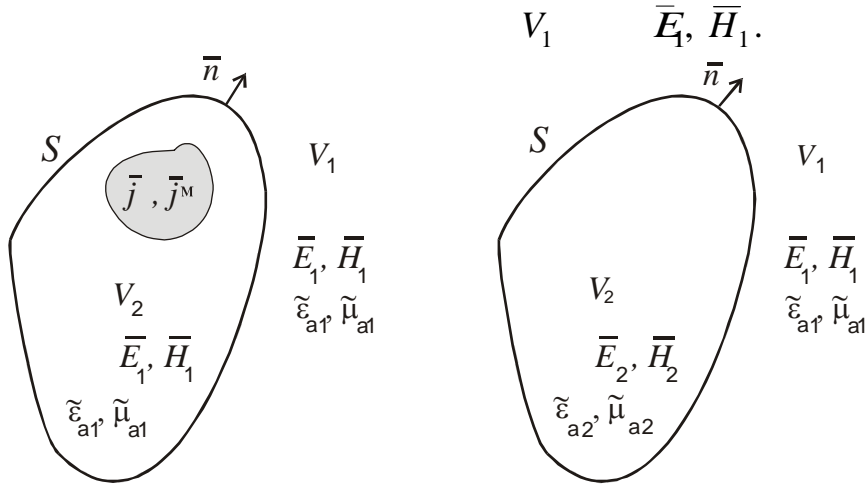
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 S ,
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(S , V_1 V_2 ,
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\bar{E}_1 \bar{H}_1 . V_2 ,
 V_2 \bar{E}_2, \bar{H}_2 (V_2

$\tilde{\epsilon}_{a2}, \tilde{\mu}_{a2}$).



4.2 -

(... « S » ... \bar{E}_1, \bar{H}_1 \bar{E}_2, \bar{H}_2)

$$\bar{j}_s = [\bar{n}(\bar{H}_1 - \bar{H}_2)] \tag{4.2.1}$$

$$\bar{j}_s^m = -[\bar{n}(\bar{E}_1 - \bar{E}_2)]. \tag{4.2.2}$$

\bar{H}_1 V_1 \bar{E}_2, \bar{H}_2 V_2 \bar{E}_1

\bar{E}_2, \bar{H}_2 V_2 V_1 $\tilde{\epsilon}_{a2}, \tilde{\mu}_{a2}$ V_2 \bar{E}_1, \bar{H}_1

$\tilde{\epsilon}_{a1}, \tilde{\mu}_{a1}$

• \bar{E}_2, \bar{H}_2 , $\tilde{\epsilon}_{a2} = \tilde{\epsilon}_{a1}; \tilde{\mu}_{a2} = \tilde{\mu}_{a1}$:

$$\bar{j}_s = [\bar{n}\bar{H}_1]; \bar{j}_s^m = -[\bar{n}\bar{E}_1]. \tag{4.2.3}$$

• \bar{E}_2, \bar{H}_2 V_2

(V_2) V_1

$\bar{j}_s^m = -[\bar{n}\bar{E}_1]$,

\bar{E}_2, \bar{H}_2 V_2 -

V_1 , -

$\bar{j}_s = [\bar{n}\bar{H}_1]$, -

$\bar{H}_\tau = 0$. V_2 -

(...).

4.3

1944

$$\left. \begin{aligned} \text{rot}\bar{H} &= \varepsilon \frac{\partial \bar{E}}{\partial t} + \bar{J} \\ \text{rot}\bar{E} &= -\mu \frac{\partial \bar{H}}{\partial t} - \bar{J}^m \end{aligned} \right\}, \tag{4.3.1}$$

$$\left. \begin{aligned} \text{div}(\varepsilon\bar{E}) &= \rho; & \text{div}(\bar{J}) &= -\frac{\rho}{\partial t}; \\ \text{div}(\mu\bar{H}) &= \rho^m; & \text{div}(\bar{J}^m) &= -\frac{\partial \rho^m}{\partial t} \end{aligned} \right\}, \tag{2.3.2}$$

ρ -

; ρ^m -

⋮

$$\left. \begin{aligned} \bar{J}^* &= \bar{J} + (\varepsilon - \varepsilon_0) \frac{\partial \bar{E}}{\partial t}, & \rho^* &= \rho - \operatorname{div}[(\varepsilon - \varepsilon_0) \bar{E}]; \\ \bar{J}^{m*} &= \bar{J}^m + (\mu - \mu_0) \frac{\partial \bar{H}}{\partial t}, & \rho^{m*} &= \rho_m - \operatorname{div}[(\mu - \mu_0) \bar{H}] \end{aligned} \right\} \quad (4.3.3)$$

$\bar{J}, \bar{J}^m, \rho, \rho^m$ (4.2.3) (4.2.1) (4.2.2) -

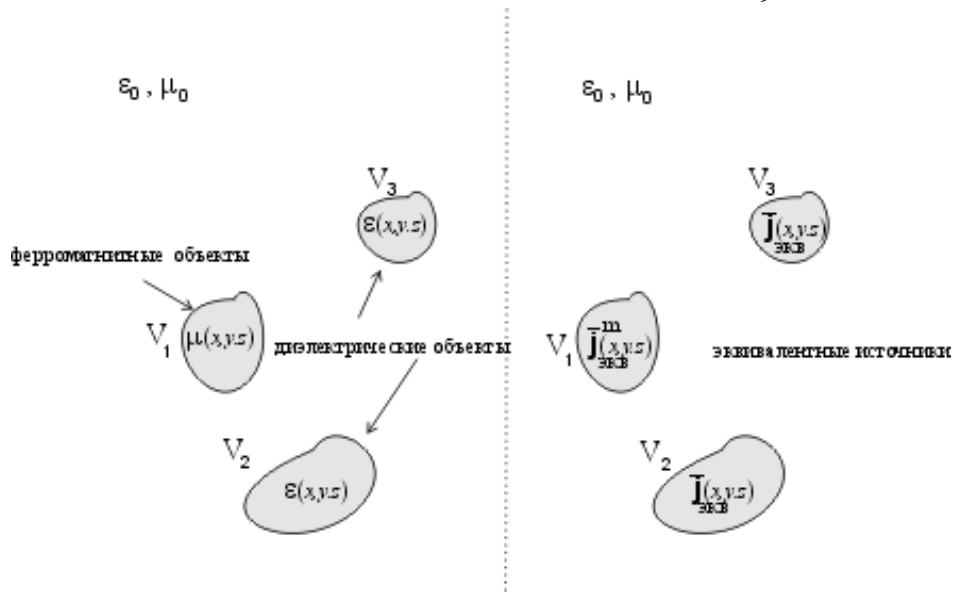
$$\left. \begin{aligned} \operatorname{rot} \bar{H} &= \varepsilon_0 \frac{\partial \bar{E}}{\partial t} + \bar{J}^*; & \operatorname{div}(\varepsilon_0 \bar{E}) &= \rho^*; & \operatorname{div}(\bar{J}^*) &= -\frac{\partial \rho^*}{\partial t}; \\ \operatorname{rot} \bar{E} &= -\mu_0 \frac{\partial \bar{H}}{\partial t} - \bar{J}^{m*}; & \operatorname{div}(\mu_0 \bar{H}) &= \rho^{m*}; & \operatorname{div}(\bar{J}^{m*}) &= -\frac{\partial \rho^{m*}}{\partial t} \end{aligned} \right\} \quad (4.3.4)$$

$$\bar{J}^*, \bar{J}^{m*}, \rho^*, \rho^{m*}, \quad (4.2.3), \quad (\varepsilon = \varepsilon_0, \mu = \mu_0, \sigma = 0)$$

(4.2.3).

(. 4.2).

$$\left. \begin{aligned} \bar{J} &= (\varepsilon - \varepsilon_0) \frac{\partial \bar{E}}{\partial t}, & \rho &= -\operatorname{div}[(\varepsilon - \varepsilon_0) \bar{E}]; \\ \bar{J}^m &= (\mu - \mu_0) \frac{\partial \bar{H}}{\partial t}, & \rho^m &= -\operatorname{div}[(\mu - \mu_0) \bar{H}] \end{aligned} \right\} \quad (4.3.5)$$



4.4

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(, , .).

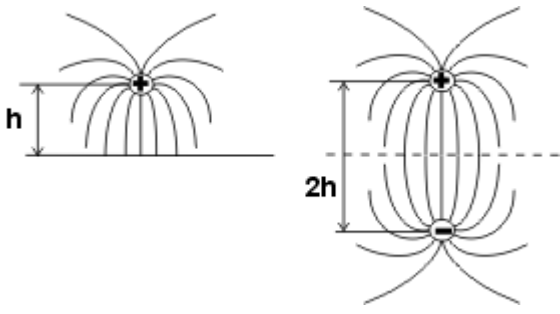
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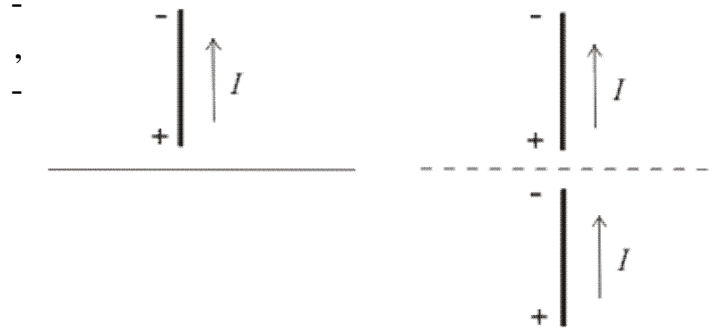
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. 4.4, ,
h.)

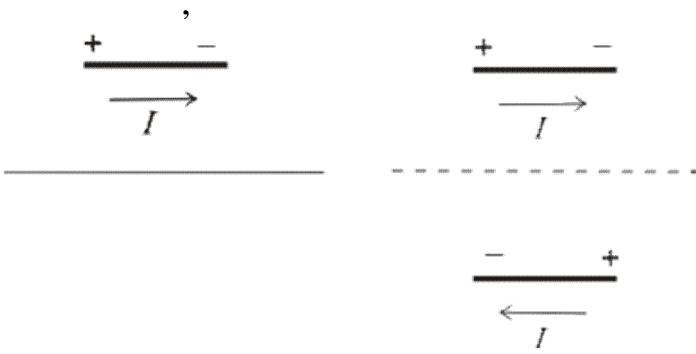
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2h (.4.4,).



4.4 -



4.5 -



4.6 -

4.5

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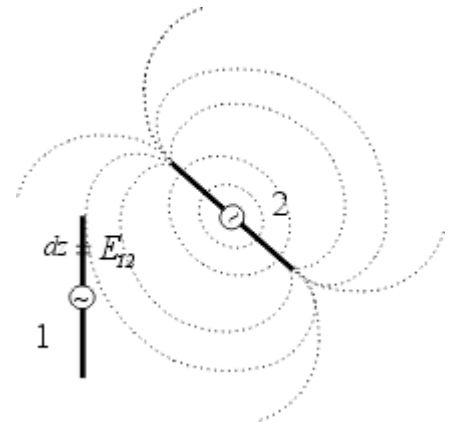
...

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(4.7),

\bar{E}

\bar{H}



4.7 -

2

1.

dz

$$de_{12} = E_{12} dz \quad (4.5.1)$$

1,

$$-E_{12} dz.$$

dz

$$-de_{12} = -E_{12} dz.$$

$$dP_{12} = -\frac{1}{2} \dot{I}^* de_{12} \quad (4.5.2)$$

dP_{12}

$$de_{12}.$$

1

1,

dP_{12}

$$de_{12}.$$

2,

$$P_{12} = -\frac{1}{2} \int_l \dot{I}^* E_{12} dz \quad (4.5.3)$$

()

(, -

):

$$Z_{12} = \frac{2P_{12}}{|\dot{I}|^2} = -\frac{1}{|\dot{I}|^2} \int \dot{I}^* E_{12} dz. \quad (4.5.4)$$

(4.5.4)

(I , I₀).

,

Z₁₂

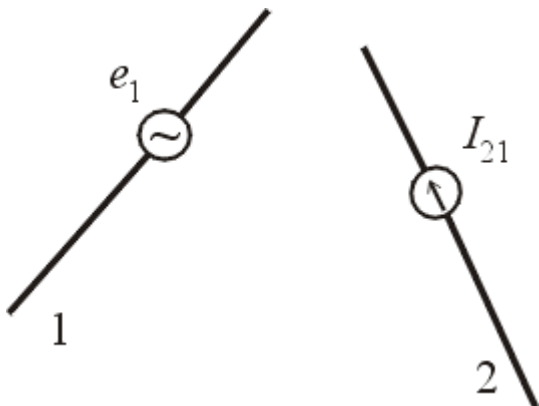
2

1,

Z₁₂

(4.5.4)

4.6



(. 4.8).

e_1 ,

I_1 ,

()

I_{21} .

4.8 -

1

2

()

I_{21} , . . .

$$I_{12} \quad 2 \quad - e_2,$$

$$:$$

$$\frac{e_1}{I_{21}} = \frac{e_2}{I_{12}},$$

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4.8

$$\bar{j} = 2[\bar{n}, \bar{H}] \tag{4.8.1}$$

(4.8.1)

$$\bar{F}(\vartheta, \varphi) = \int_S \bar{j}(\rho, \psi) e^{ik\rho \cos\psi} dS, \tag{4.8.2}$$

$\rho -$

, $\psi -$

$S.$

■

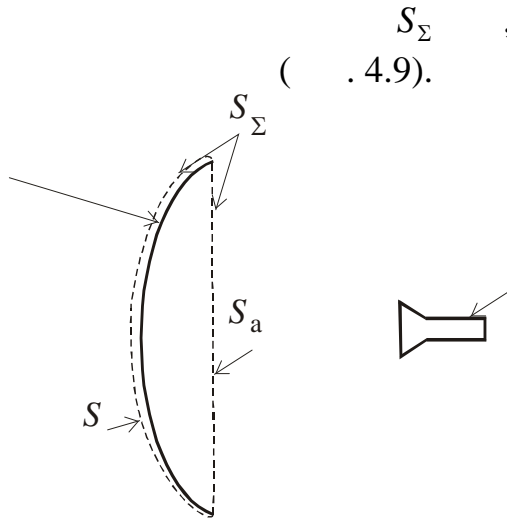
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4.9



4.9 –

,
 .. () , ... (4.2.3)).

$$S = S_{\Sigma} - S_a$$
 ,
 " " ,
 " " ,
 ()
 (. .):

$$\bar{E}_t = W_c [\bar{H}_t, \bar{n}], \tag{4.9.1}$$

$$\bar{E}_t - \bar{H}_t - \bar{n} - W_c -$$

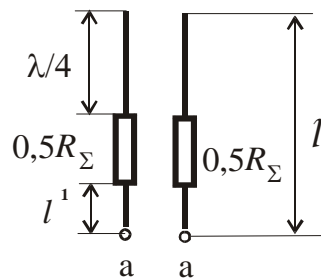
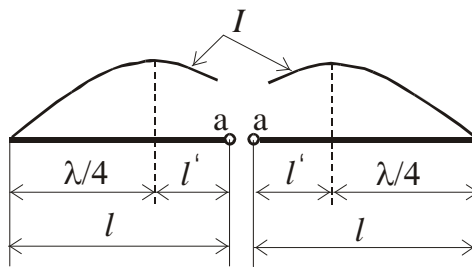
)

(4.8.2):

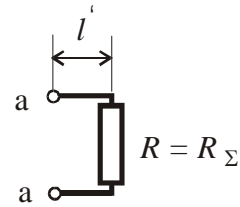
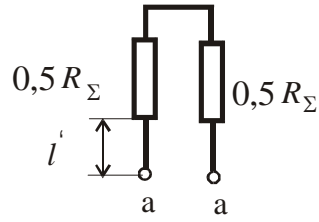
$$\vec{F}(\vartheta, \varphi) = \int_{S_a} \vec{E}_t(\rho, \psi) e^{ik\rho \cos \psi} dS_a, \quad (4.9.2)$$

S_a .

4.10



(. 4.10)



4.10 –

,
 ,
 , ... $\lambda/4$ (. 4.10,).
 . 4.10, . 4.10, $\lambda/4$.

$l' = l - \lambda/4,$ R_Σ -

(. 4.10,):

$$\left. \begin{aligned} U_a &= U \cos kl' + iI W \sin kl' \\ I_a &= I \cos kl' + i \frac{U}{W} \sin kl' \end{aligned} \right\} \quad (4.10.1)$$
 $l' = l - \lambda/4, \quad I = U / R_\Sigma , \quad U_a \quad I_a$

:

$$Z_a = R_a + iX_a = \frac{R_\Sigma - i \frac{W}{2} \sin 2kl \left(1 - \frac{R^2}{W^2} \right)}{\sin^2 kl + \left(\frac{R_\Sigma}{W} \right)^2 \cos^2 kl} \quad (4.10.2)$$

4.11

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 (, ,)
 , - .).

$$s(r, \vartheta, \varphi) = \frac{1}{r} A(r, \vartheta, \varphi) e^{iks} \quad (4.11.1)$$

$$s = \text{const} \quad s, A.$$

$$n(r, \vartheta, \varphi) = \int n(r, \vartheta, \varphi) \partial l \quad (4.11.2)$$

$$a \quad b, \quad (4.10.2),$$

$$a \quad b,$$

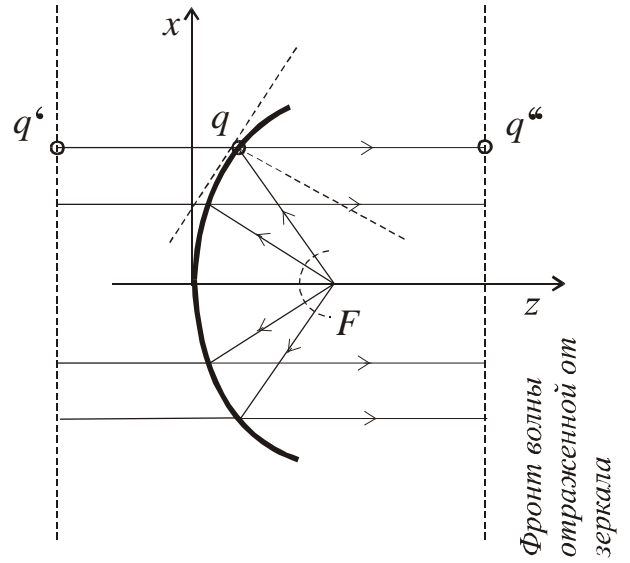
$$(\quad)$$

$1/r,$ $1/\sqrt{r},$ $r,$ $\beta r,$ $\beta = 2\pi/\lambda$

(4.11).

$q'q'',$ Fq ;
(Fq)

(qq'),



4.11 -

1. 352 - . - . : , 1989. -
2. . . , - . - . - . : , 1966. - 648 .
3. . . , , - . - . : , 1973. - 440 .
4. . . , . . , - . - . : . . . , 1974. - 536 .
5. - . : , 1988. - 432 .
6. - . - . . . , 1956. - 699 .
7. - . . : , 1977. - 440 .
8. . . , - . : , 1978. - 248 .
9. - . : , 1988. - 440 .
10. . , - . : , 1974. - 327 .

1.		3
1.1		3
1.2		7
2.		12
2.1		12
2.2	(,)	14
2.3	16
2.4		17
2.5		19
2.6		21
2.7		22
2.8	" " ,	22
2.9		23
2.10		25
2.11		26
3		29
3.1		29
3.2		33
4		39
4.1	, ,	39
4.2	()	41
4.3	43
4.4		45
4.5		46
4.6		48
4.7		49
4.8	" "	50
4.9		51
4.10		52
4.11		53
		56